

Dispatch Auction Designs and Arbitrage Strategies for Energy Storage Units

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Storage: Questions

- Why do we want/need energy storage
 - ▶ system services
 - ▶ shifting energy forward in time
- Is energy storage economically viable
 - ▶ expected revenue streams (arbitrage)
 - ▶ risk management
- Are there market design/institutional obstructions
 - ▶ market failures
 - ▶ fossile vs digital world



Storage: Time Shifts

- Arbitrage
 - ▶ buy cheap, sell dear
- Time scale
 - ▶ year(s)
 - ▶ month(s)
 - ▶ week(s)
 - ▶ day(s)
 - ▶ hour(s)
 - ▶ minute(s)



Motivation

- Integrating stored/pumped hydro w/wind
- Integrating batteries w/wind and/or solar
 - ▶ reliability
 - ▶ risk-management
 - ▶ proconsumers
- Batteries are cool — but (almost) useless and a waste of money
- Arbitrage value of storage
- Market auction design and quirks



Outline

- 1 Background
- 2 Arbitrage Strategies
- 3 Flexibility and Swing Options
- 4 Conclusion



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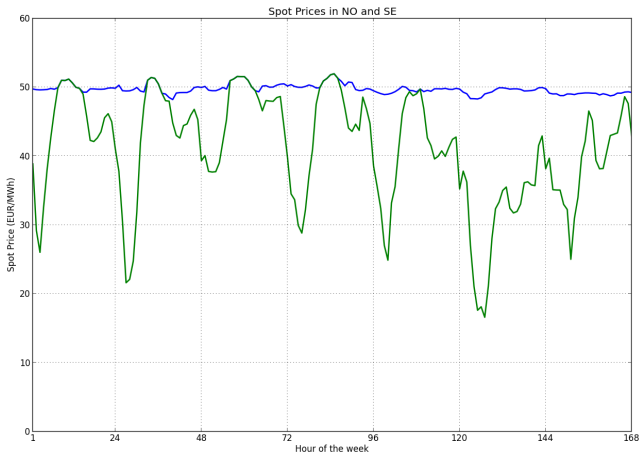


Price Variability

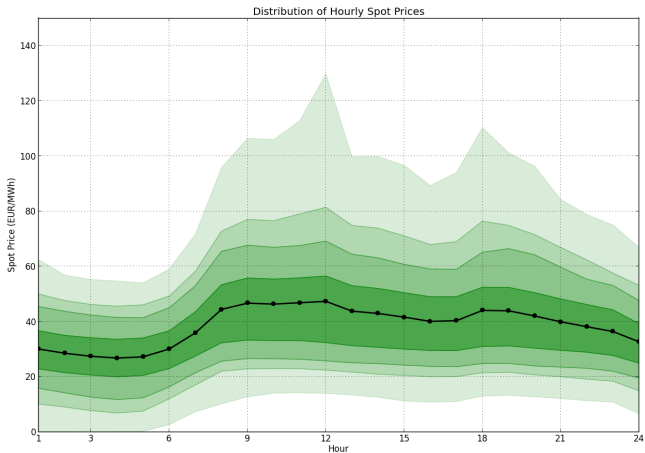
- Price variability is the key
- Seasonal/diurnal patterns
- Stochastic component
- Stochastic production



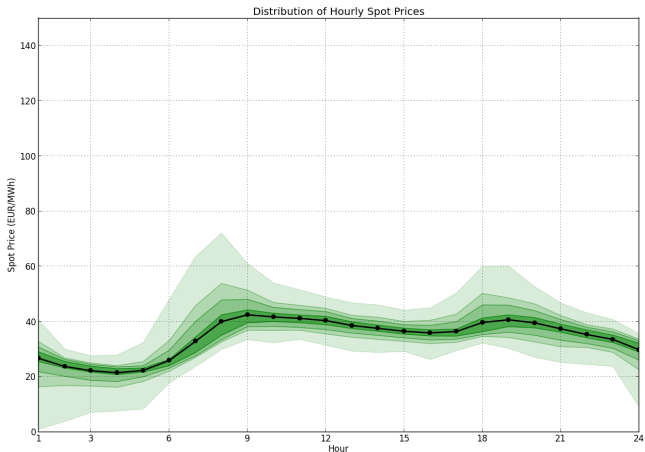
Prices in NO (Oslo) and SE (2010/17)



Prices in Denmark



Prices Seasonally Adjusted



Arbitrage in Bidding Markets

- Conceptual framework
 - ▶ Selling/buying one unit in each period
 - ▶ Offering buy/sell bids
- Storage $X_t \in \{0, 1, \dots, X_{max}\}$
- Buy bid $0 \leq b_t$
- Sell bid $s_t \leq \bar{p}$.
- Beliefs/expectations about bid distribution $F(p)$



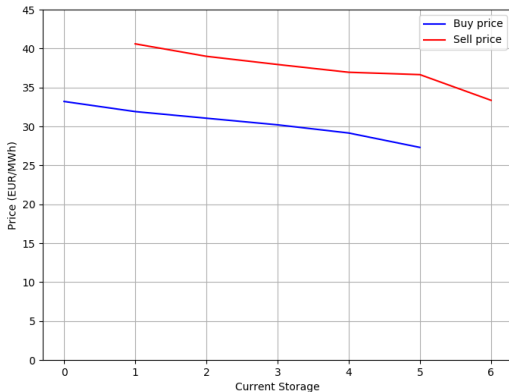
Stochastic Dynamic Programming

$$V(X_t) = \max_{b_t, s_t} \left(-(1 + \gamma_b) F_t(b_t) \int_0^{b_t} p dF_t(p) + (1 - \gamma_s)(1 - F_t(s_t)) \int_{s_t}^{\bar{p}} p dF_t(p) \right) + \beta \left(F_t(b_t) V(X_t + 1) + (F_t(s_t) - F_t(b_t)) V(X_t) + (1 - F_t(s_t)) V(X_t - 1) \right) \quad (1)$$

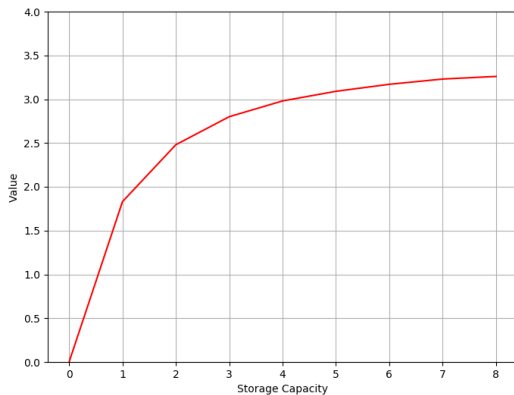
- Solve numerically (Judd)
 - ▶ Infinite time horizon
 - ▶ Optimal bidding strategy
 - ▶ Value function $V(X)$
- Repeated single period
- Repeated sequential 24-hour period



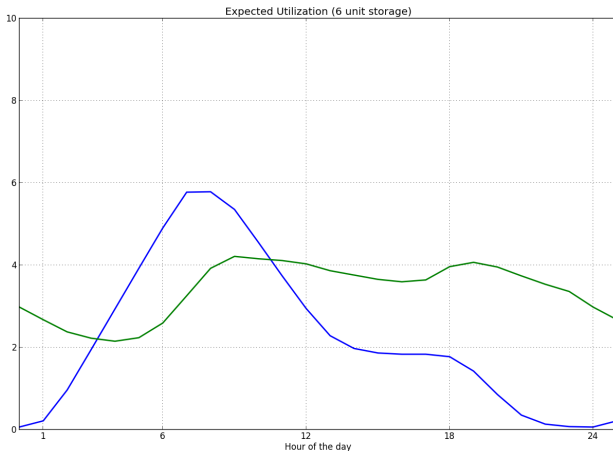
Optimal Bid Strategies



Value of Storage Capacity



Daily Utilization of Storage Denmark



Day-Ahead Market Auction I

- Currently 24 market periods (hours)
- Need to bid for each hour simultaneously
- Cannot condition bids sequentially
- How much to bid: b_{ht} and s_{ht}
- Which hours to participate $\delta_{ht}^b, \delta_{ht}^s \in \{0, 1\}$



Day-Ahead Market Auction II

$$V(X_t) = \max_{b_{ht}, s_{ht}, \delta_{ht}^b, \delta_{ht}^s} \sum_h \left(-\delta_{ht}^b (1 + \gamma_b) F_{ht}(b_{ht}) \int_0^{b_{ht}} p dF_{ht}(p) + \delta_{ht}^s \dots \right) + \beta \dots$$

subject to

$$\sum_h \delta_{ht}^s \leq X_t$$

and

$$X_t + \sum_h \delta_{ht}^b \leq X_{max}.$$



Evaluating Value of Storage

- SDP is a feasible method
 - ▶ easy for intraday auctions
 - ▶ day-ahead auction with selected hours
 - ▶ arbitrage value across hours/days
- Bid/price distribution
 - ▶ parameteric/non-parameteric
 - ▶ forecast (systematic component)
- Marginal value
 - ▶ applies only to small storage
 - ▶ embedd in structural demand/supply model



Market Design

- Basic version of day-ahead market
 - ▶ submit bids before gate closure
 - ▶ need excess capacity
 - ▶ timing and frequency of closure
- Basic version of intra-day market
 - ▶ continuous trading
 - ▶ market clearing at specific times
- Forward market
 - ▶ arbitrage across multiple days
 - ▶ requires functioning forward markets



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Increased Flexibility

- Increase demand/supply flexibility
- Buy/sell at the right time
- Swing options for buy/sell units
- Options called by market operator when desired
- Energy storage can offer such options
- The SDP model for pricing such contracts

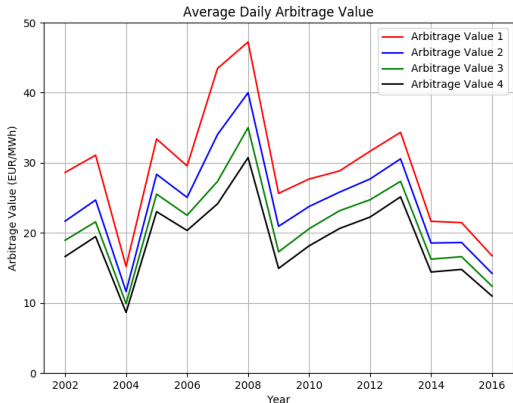


Trading Exotic Options

- EUPHEMIA algorithm
 - ▶ market clearing and market coupling
 - ▶ allows great flexibility in orders
- Complex orders
- Block orders
- Flexible hourly orders
 - ▶ sell/buy x units at price s
 - ▶ flexible wrt which hour
 - ▶ allocated to the *best* period



Swing Arbitrage in Denmark



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Conclusions

- Arbitrage value may justify storage
- SDP modeling of bidding behavior in auction markets
- Market design in place for (commercial) storage
 - ▶ arbitrage across days/hours
 - ▶ swing options for arbitrage and flexibility
 - ▶ gate closure times and frequency
- Missing functioning forward markets



Thank you for your attention.

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